

# Large-scale 3D Mapping of Subarctic Forests

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# Subarctic Boreal Forest: Research Opportunity



Naive approach



Our approach



# Applications



# Challenge of Field Tests



Snow Fall



Path obstacles



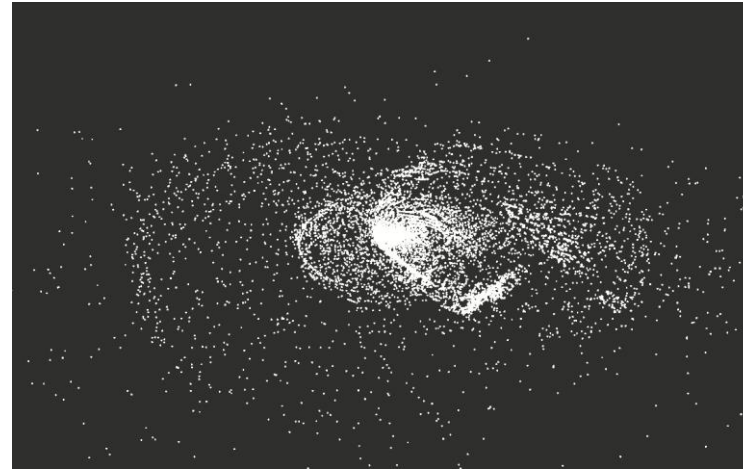
Uneven Path



Local Wildlife

# Mapping of Subarctic Boreal Forest - Challenges

- Unstructured environment → hard to map
- Cold temperatures → noisy sensor
- Few visual features due to snow → bad for vision based approaches



# Related Work



Williams et al., 2009



Paton et al., 2016

# Contributions

- Large-scale mapping of difficult environments
- Novel fusion of IMU and GNSS measurement inside of ICP
- Generated maps are crisp and without long term drifts
- Introduced optimization to scale to large map



# Dataset Environment

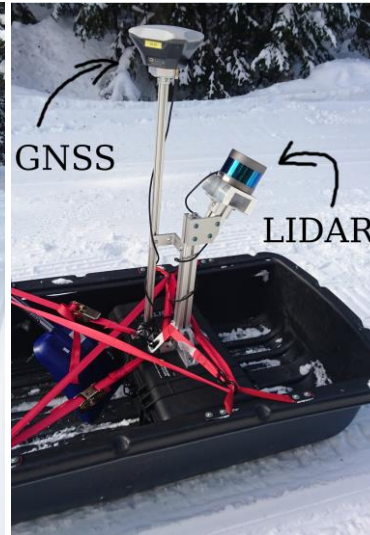


4.1 km of forest path

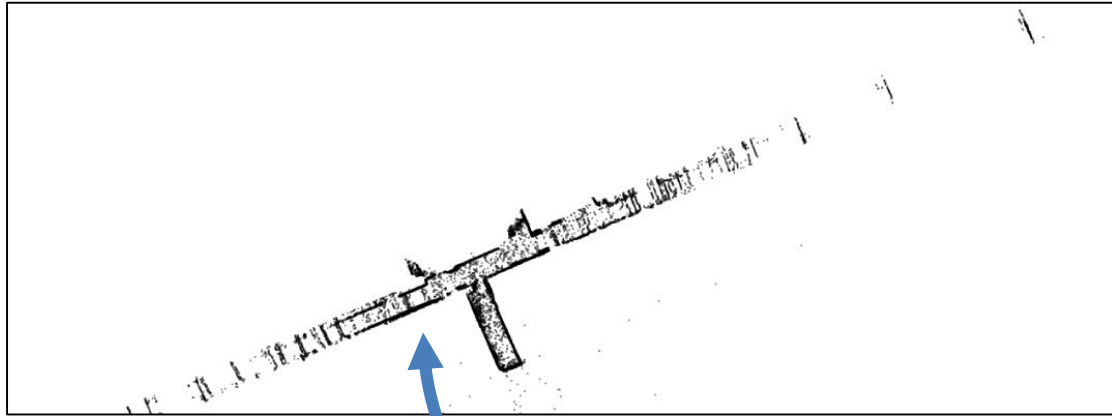


# Data Acquisition Platform

- GNSS station (RTK)
- RS-16 lidar
- MTI-30 IMU
- 10h of battery life



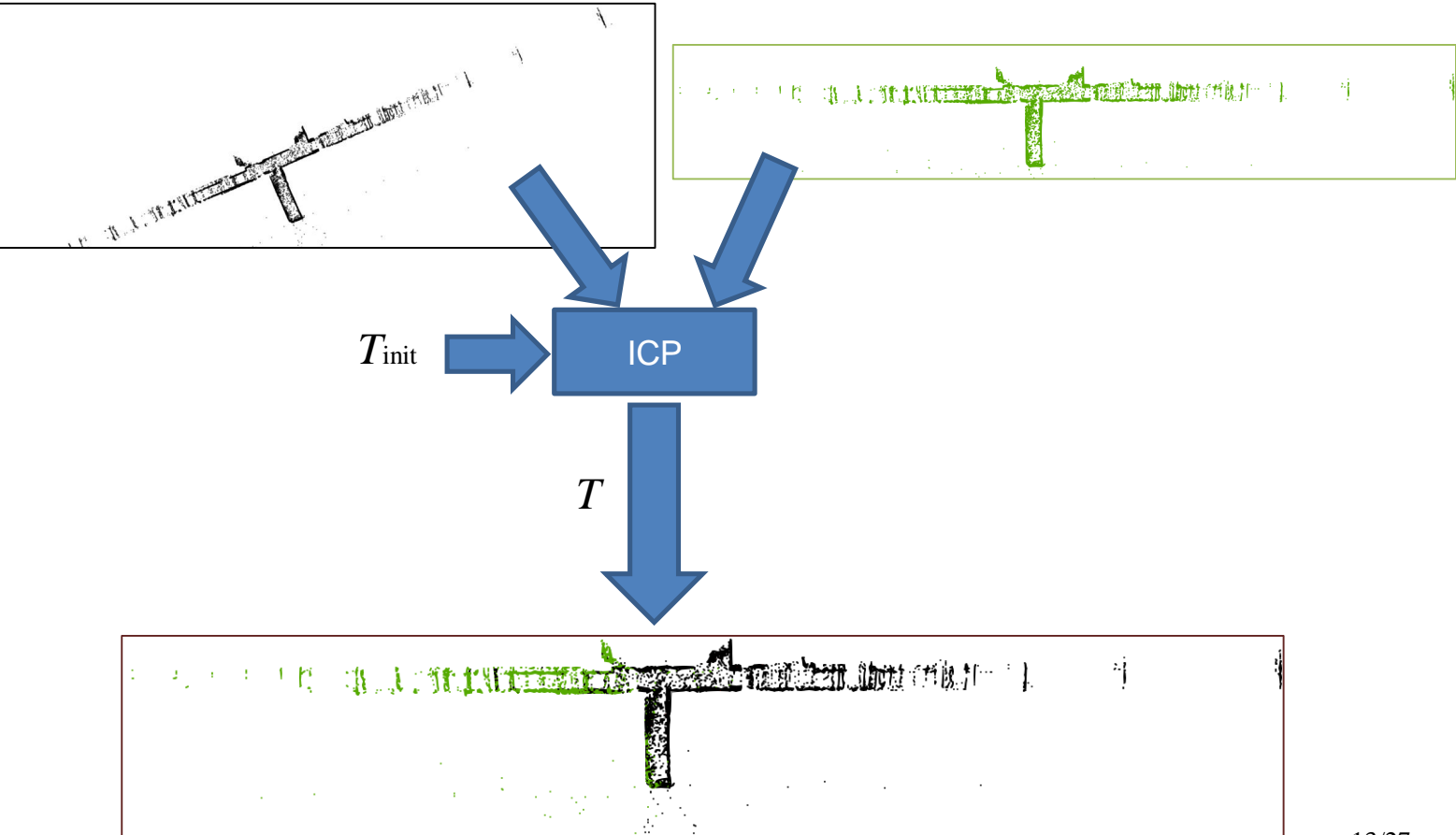
# Iterative Closest Point (ICP)



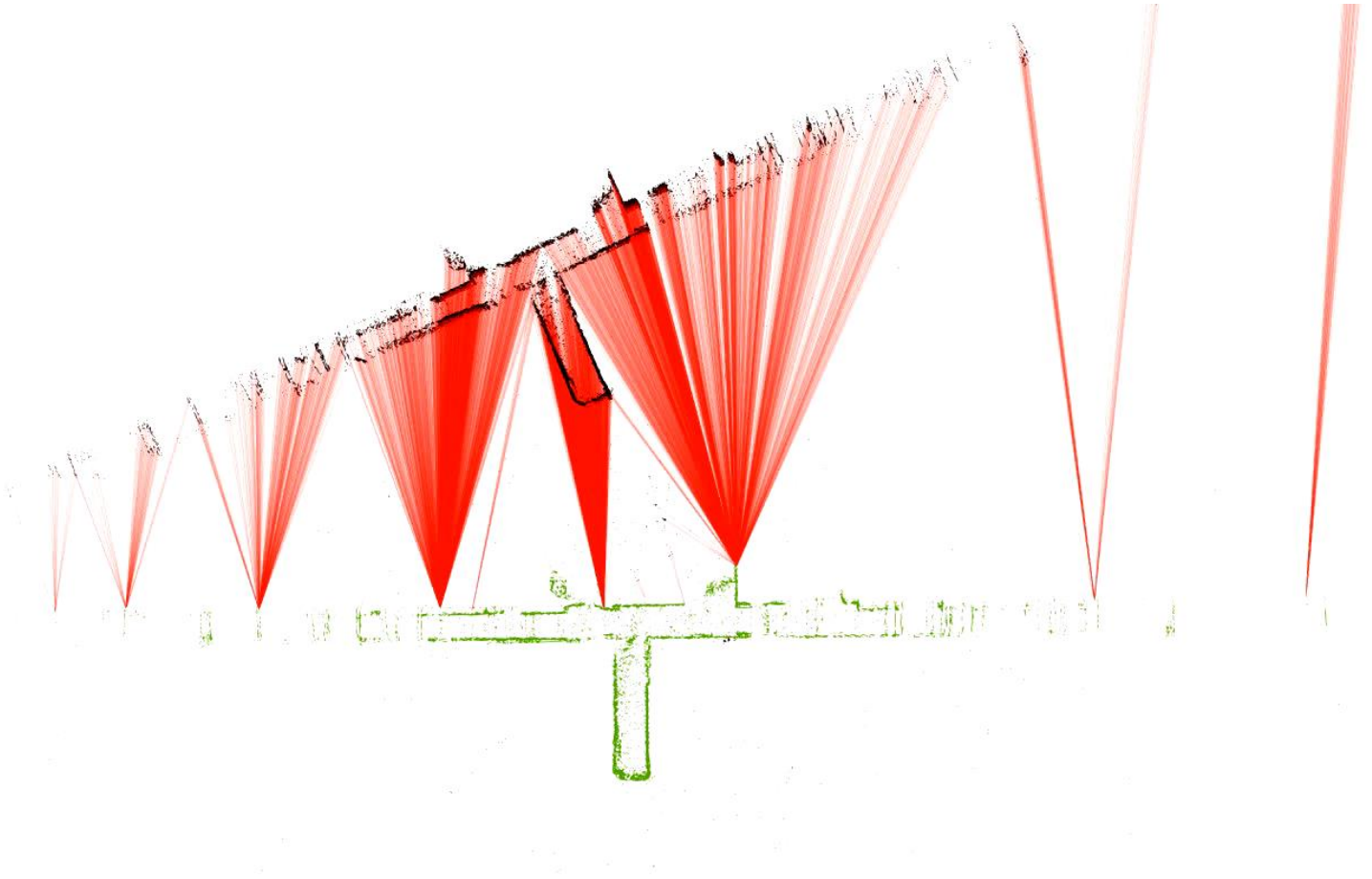
$T?$



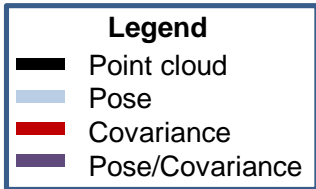
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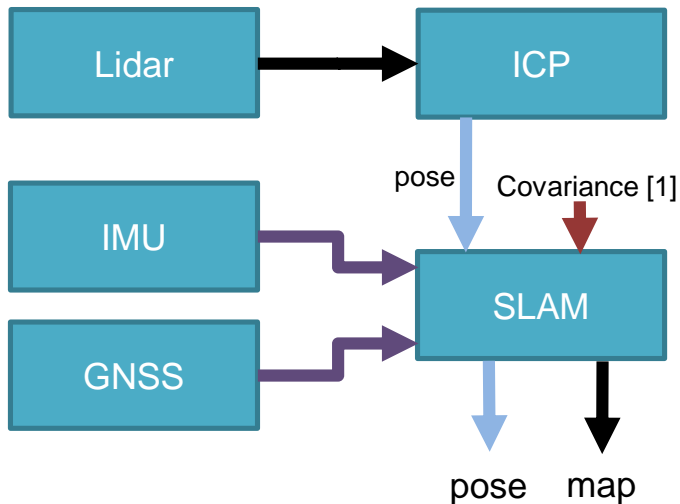
# Iterative Closest Point (ICP)



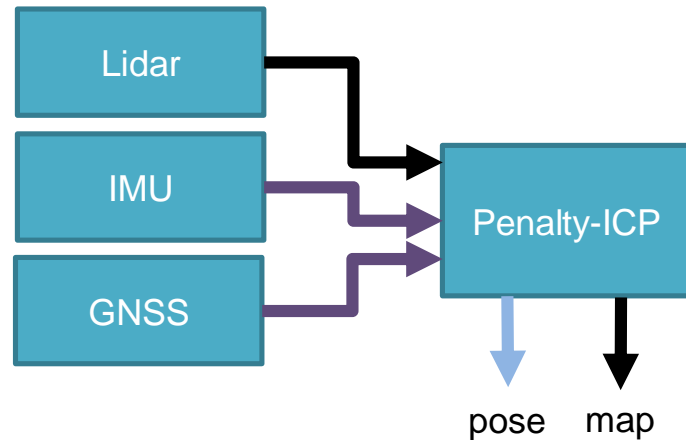
# Sensor Fusion



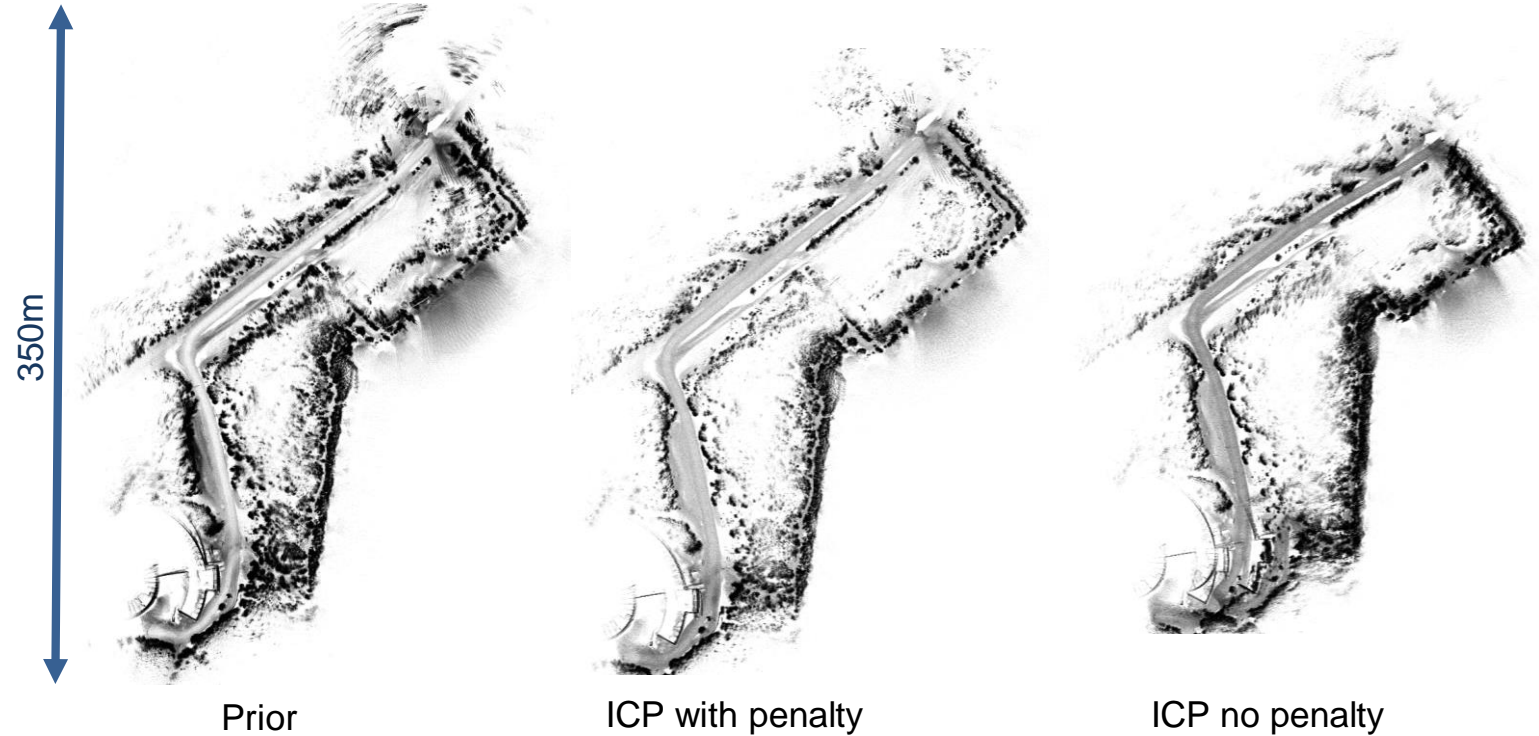
Classical approach



Our approach



# Map of lake Dataset





ICP with penalty



ICP no penalty



Prior

ICP With penalties

ICP Without Penalties



Crispiness  
locally consistent

# Map of forest Dataset

500m



Prior

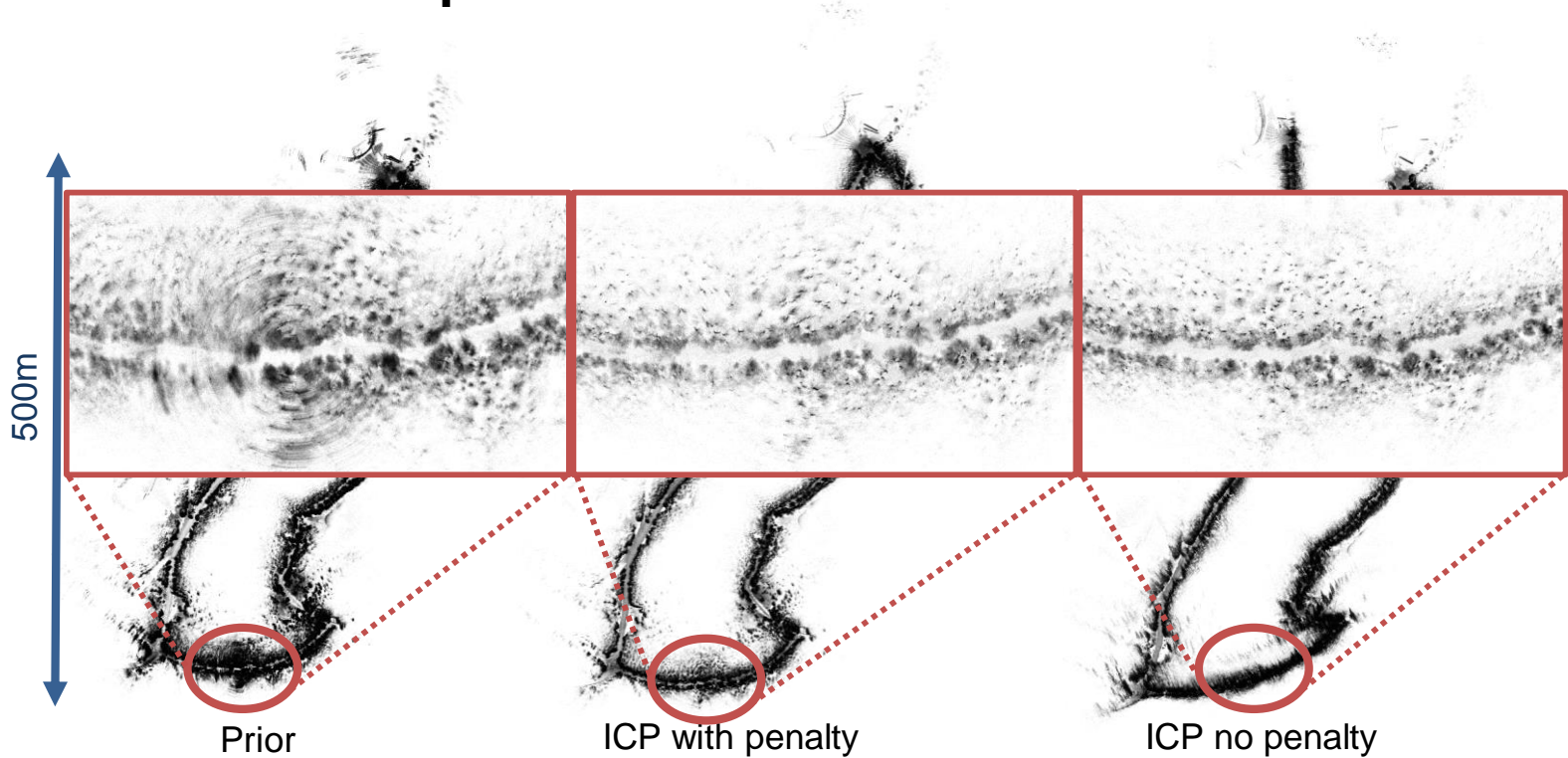


ICP with penalty

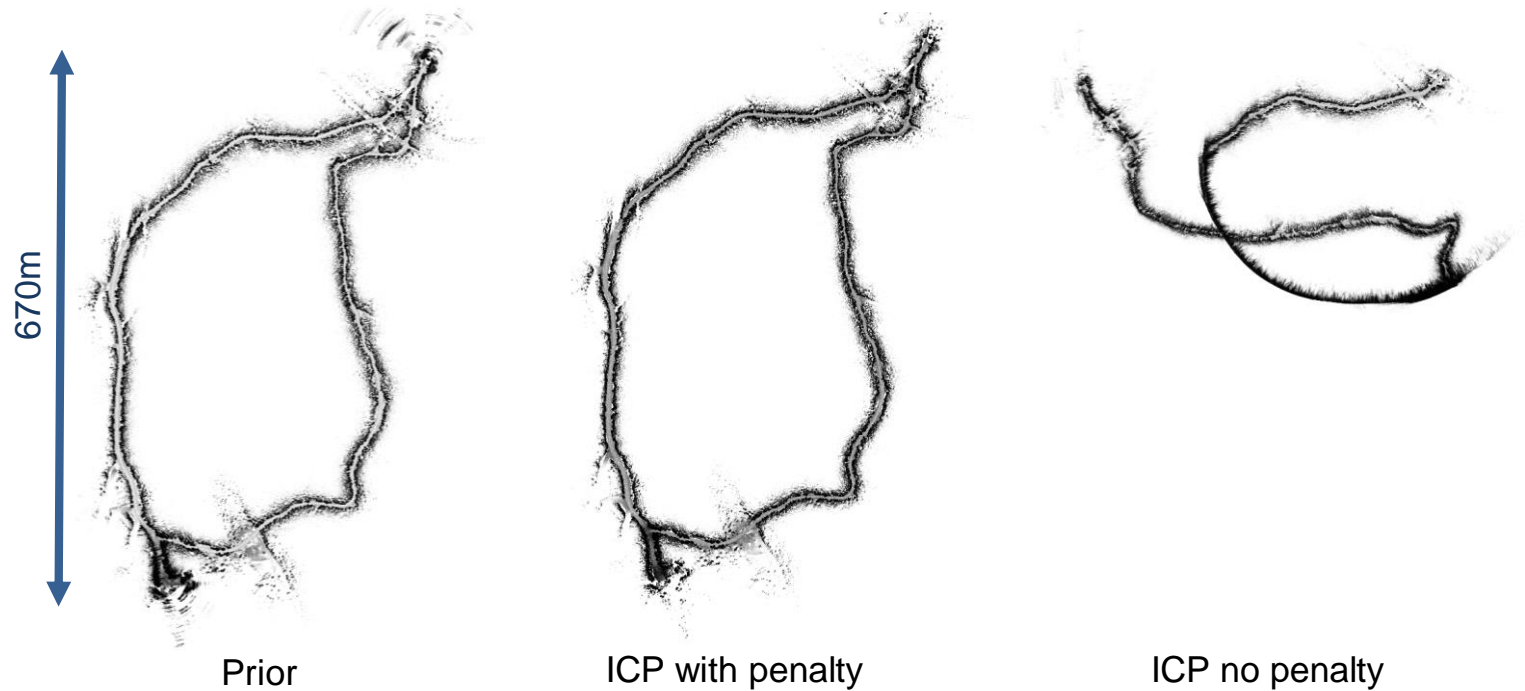


ICP no penalty

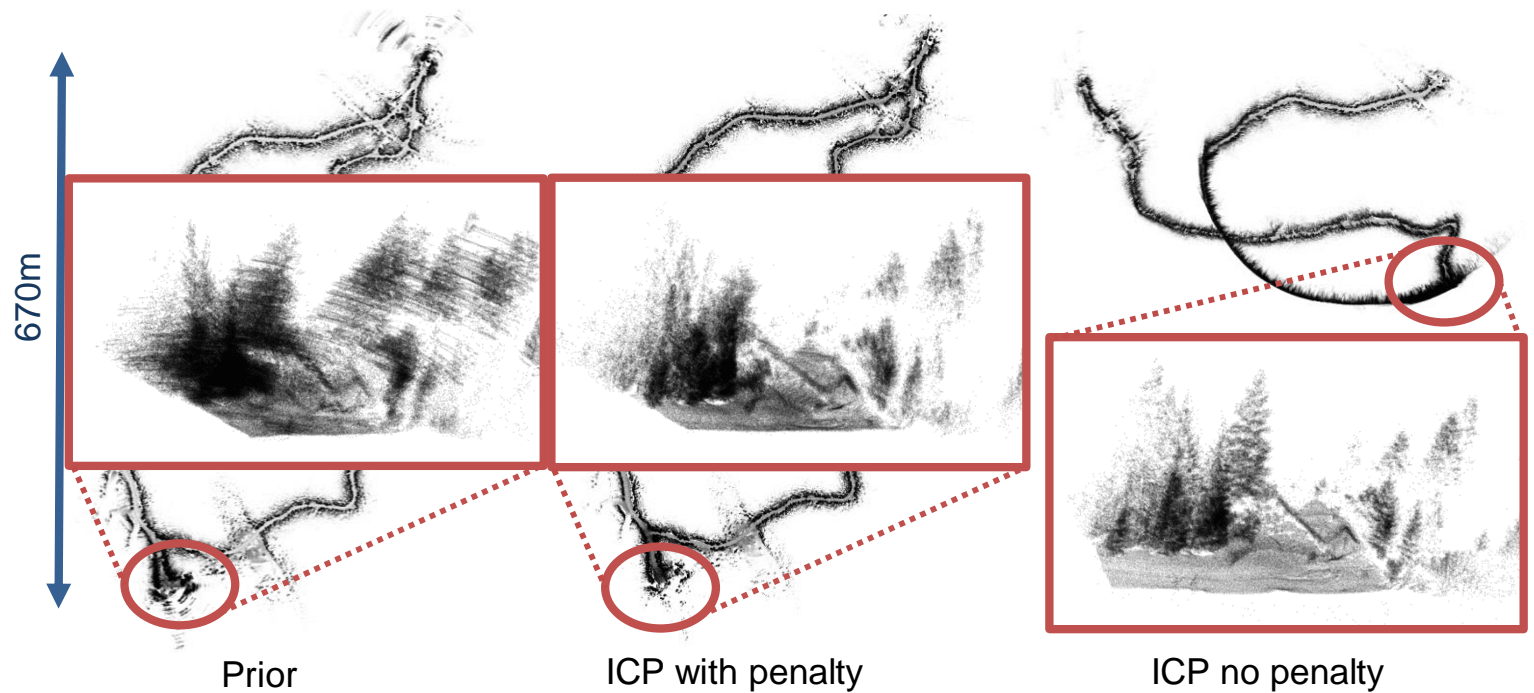
# Map of forest Dataset



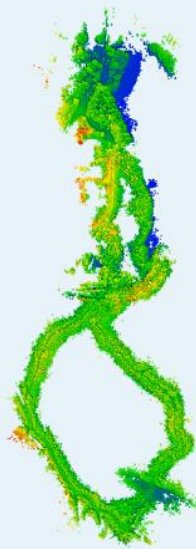
# Map of skidoo Dataset



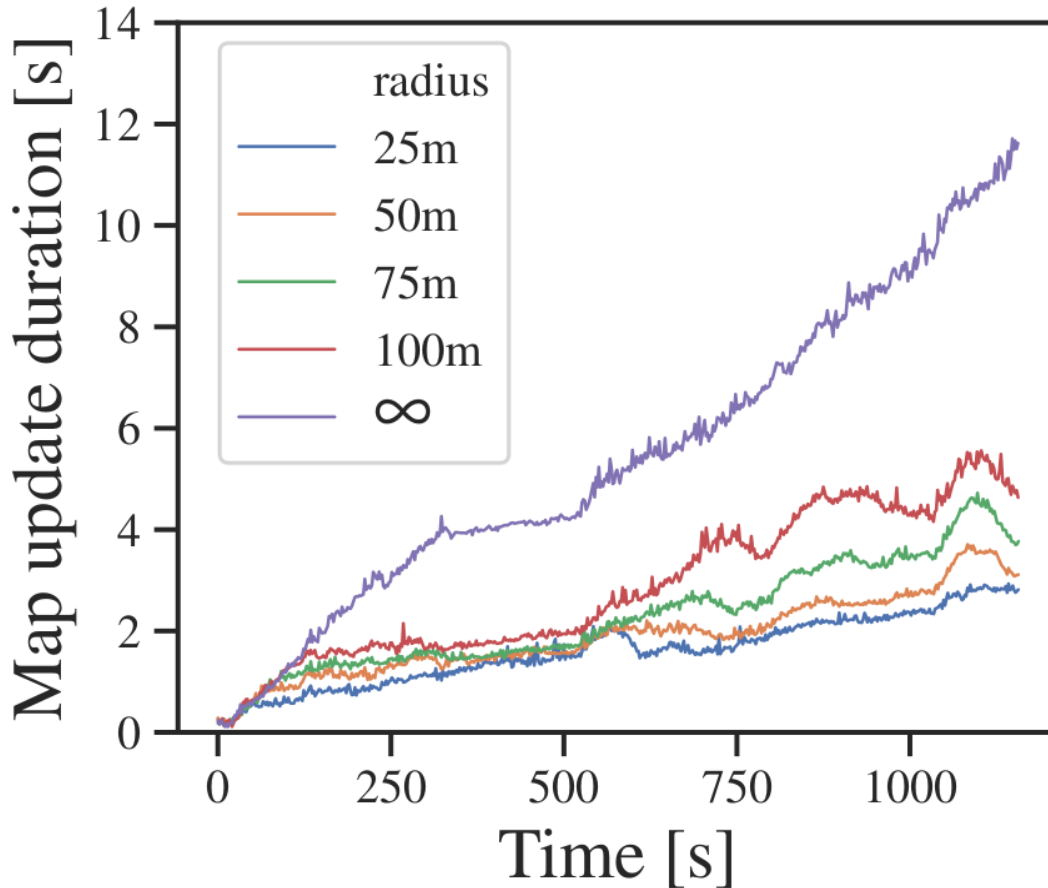
# Map of skidoo Dataset



# Full Map with Penalty



# Performance improvements





# Future work



# Future work – Project SNOW



# Questions?

$$J_{\text{p-n}} = \sum_{i=1} \sum_{j=1} w_{ij} (\mathbf{e}_{ij}^T \mathbf{n}_i)^2, \quad \text{and} \quad \mathbf{e}_{ij} = \mathbf{q}_i - \check{\mathbf{R}} \mathbf{p}_j - \check{\mathbf{t}}, \quad (2)$$

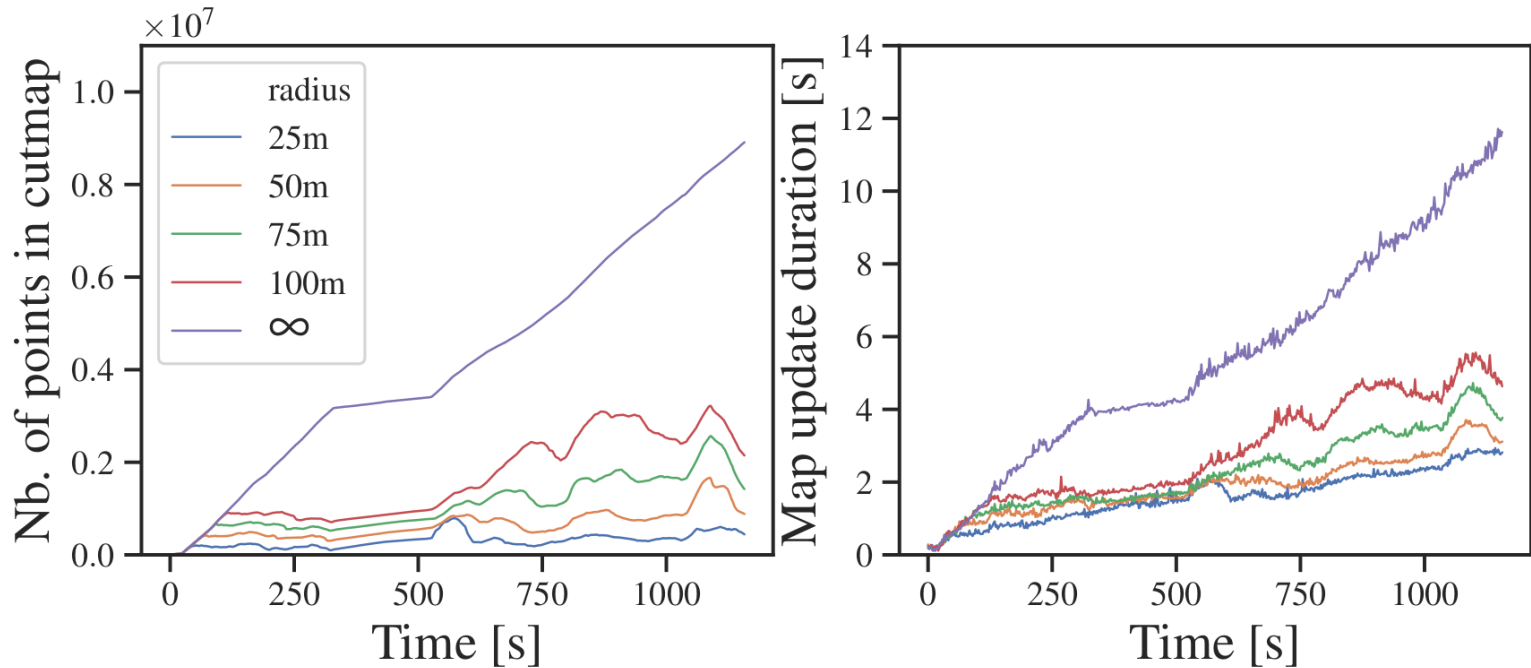
$$\mathbf{W} = \mathbf{N} \mathbf{\Lambda} \mathbf{N}^T \Rightarrow \mathbf{W}^{-1} = \mathbf{N} \mathbf{\Lambda}^{-1} \mathbf{N}^T. \quad (3)$$

$$\mathbf{J}_{\text{p-g}} = \mathbf{e}^T \mathbf{N} \mathbf{\Lambda}^{-1} \mathbf{N}^T \mathbf{e} \quad (4)$$

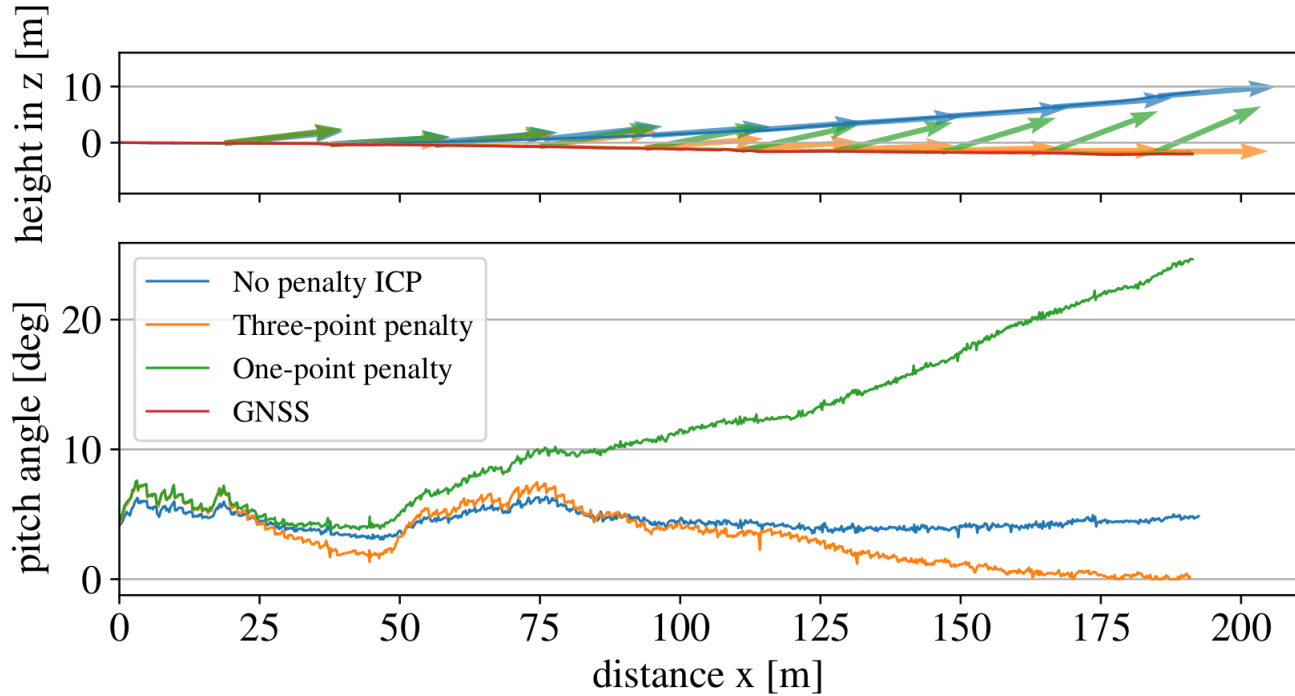
$$\begin{aligned} &= \mathbf{e}^T [\mathbf{n}_1 \ \mathbf{n}_2 \ \mathbf{n}_3] \text{diag} \left( \frac{1}{\lambda_1}, \frac{1}{\lambda_2}, \frac{1}{\lambda_3} \right) [\mathbf{n}_1 \ \mathbf{n}_2 \ \mathbf{n}_3]^T \mathbf{e} \\ &= \underbrace{\frac{1}{\lambda_1} \left( \mathbf{e}^T \mathbf{n}_1 \right)^2}_{\mathbf{J}_{\text{p-n}}} + \frac{1}{\lambda_2} \left( \mathbf{e}^T \mathbf{n}_2 \right)^2 + \frac{1}{\lambda_3} \left( \mathbf{e}^T \mathbf{n}_3 \right)^2, \end{aligned} \quad (5)$$

$$\hat{\mathbf{T}} = \arg \min_{\mathbf{T}} \underbrace{\frac{1}{M} \sum_{m=1} (\mathbf{w} \mathbf{e}^T \mathbf{W}^{-1} \mathbf{e})_m}_{\text{point clouds}} + \underbrace{\frac{1}{K} \sum_{k=1} (\mathbf{e}^T \mathbf{W}^{-1} \mathbf{e})_k}_{\text{penalties}}, \quad (6)$$

# Performance improvements



# Results: effect of penalties



# Penalty-ICP

- Leverage ICP's minimizer for sensor fusion
- Add penalty term based on GNSS and IMU estimate
- Introduced a point to Gaussian cost function
- Minimize Mahalanobis distance instead of the Euclidian distance

# Full Map

